# Frustrated Heisenberg spin models defined on a kagome-lattice strip* 

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The quest for exotic quantum states in simple yet realistic spin models remains a challenge in the field of quantum magnetism. In this respect, the Heisenberg models defined on one-dimensional cuts from the kagome lattice (strips) represent intriguing spin systems exhibiting, as a rule, macroscopically degenerate classical ground sates. Using both large-spin semiclassical as well as exact-diagonalization numerical techniques, we analyze the quantum phase diagrams of uniform- and mixedspin Heisenberg kagome strips containing five spins in the unit cell ( $S$, $\sigma_{i}=\sigma, i=1,2, \cdots, 4$ ), which are placed on the central (S) and on the end $(\sigma)$ sites of the unit-cell spin cluster. For the uniform-spin system ( $S=\sigma=\frac{1}{2}$ ), we (i) re-examine the previously established phase diagram close to the boundary of the critical spin phase-i.e., the GS of a Heisenberg chain with an effective site spin $\frac{3}{2}$ )-and (ii) extend the phase diagram by including the case of ferromagnetic nearest-neighbor $S-\sigma$ exchange bonds. For the mixed-spin $(S, \sigma)=\left(1, \frac{1}{2}\right)$ system, we demonstrate that the critical spin- $\frac{3}{2}$ and spin- $\frac{5}{2}$ phases in the uniform case transform to Haldane-type gapped phases with effective site spins 1 and 3 , respectively.
N. B. Ivanov and J. Schnack, J. Phys.: Conf. Ser. 1186, 012014 (2019);
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